

Math Modeling: Probability A Game of Multiplication:

Name _____ Class Period _____

Probability: describes the chance that an uncertain event will occur.

Theory vs. Experiment

- What does theoretical mean? _____
Once you get the theoretical probability you can use proportions to predict probability for any number of tries.

$$P(E) = \frac{\text{\# of possible outcomes of } E}{\text{total \# of outcomes in the sample space}}$$

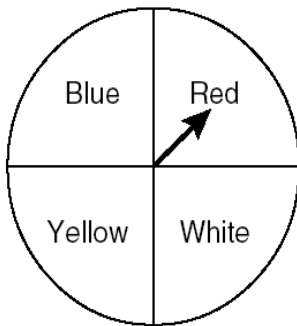
- What does experimental mean? _____

$$P(E) = \frac{\text{\# of times event } E \text{ occurs}}{\text{total \# of trials}} = \frac{\text{\# successes}}{\text{\# tries}}$$

Now for experimental data TAKS style!

1.

A spinner was spun 20 times. The results are shown in the table below.



Spinner Results

Red	7
White	5
Blue	4
Yellow	4

Which color on the spinner has the same experimental probability as theoretical probability?

- F** Red
- G** White
- H** Blue
- J** Yellow

What is the theoretical probability of spinning and landing on blue? _____ (write as both a fraction and a decimal).

Will this be the same for the other colors? _____

If they spin 4 times, theoretically, how many should be blue?

$$.25 \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

Theoretically, how many should be blue out of 20 spins?

$$.25 \times \underline{\hspace{2cm}} = \underline{\hspace{2cm}}$$

Since this is the same for the other colors, what color has this value?

2.

The table below shows the results of rolling a fair number cube 50 times during a classroom activity.

Number-Cube Data

Outcome	Frequency
1	7
2	12
3	10
4	9
5	8
6	4

What is the difference between the theoretical probability of rolling a number less than 4 and the experimental results recorded in the table above?

- F 8%
- G 79%
- H 58%
- J 29%

Rolling a number **less** than 4, includes what numbers? _____

What is the theoretical probability of rolling a number **less** than 4? _____

That is what percent? _____

OR!!

If you roll a die, 1 should come up $\frac{1}{6}$ times. Same for 2 and 3, so how many total that is you can add them up and get the same value = _____
* (the sum of probabilities will equal 1)

Experimental probability:

How many times did the "fair cube" come up 1, 2 and 3? _____ + _____ + _____ = _____

Total rolls of the number cube? _____

Experimental probability is _____

What is this as a percent? _____

In case we have forgotten the actual TAKS problem, what are we asked to do???? What is the DIFFERENCE between the theoretical and experimental?

3.

Reggie is a professional baseball player. He has the following batting record.

Type of Hit	Number
Singles	210
Doubles	20
Triples	1
Home runs	6
No hits	574

Based on this record, what is the probability that Reggie will get a hit during his next time at bat?

- A 0.413
- B 0.186
- C 0.292
- D 0.366

How many times total at bat? _____

How many total "hits"? _____

Make a fraction and divide

MULTIPLE EVENTS: MULTIPLY!

4.

At Reyna High School 50% of the students eat lunch in the school cafeteria. In the same school 10% of the students participate in sports. What is the probability that a student selected at random eats in the school cafeteria and participates in sports?

F $\frac{1}{2}$

G $\frac{1}{10}$

H $\frac{1}{20}$

J $\frac{1}{60}$

Now we are looking at 2 events. So we calculate the probability of each event and multiply.

Probability is already given as a percentage, convert to a decimal.

50%=_____

10%=_____

Now multiply: _____ and convert back to a fraction (MATH –ENTER –ENTER)

5.

The table below shows the results of a number cube being rolled.

Outcome	Frequency
1	6
2	2
3	2
4	3
5	2
6	0

Based on these results, what is the experimental probability of rolling a 1?

A 2.5%

B $\frac{1}{6}$

C $\frac{2}{5}$

D 0.6

- Outcome is the number rolled on the die
- Frequency is how many times that number came up.

What is the experimental probability equation given on page 1?

Now use the formula to calculate the experimental probability for rolling a 1:

6. WITH OR WITH OUT REPLACING???

A jar contains 6 red marbles and 10 blue marbles, all of equal size. If Dominic were to randomly select 1 marble without replacement and then select another marble from the jar, what would be the probability of selecting 2 red marbles from the jar?

A $\frac{9}{64}$

B $\frac{1}{8}$

C $\frac{3}{5}$

D $\frac{3}{8}$

Once again, the key to success is attention to what facts are being given. When the marbles are being taken out of the jar, are they being replaced? **y/n**

Total marbles? _____

Red?..... 6 out of ____.
Probability 1st marble is red? ____
Don't put it back.

Now, how many marbles? _____

Now, how many reds?.....5 out of ____
Probability? _____

Now, just multiply.

+++++

What if they put the first red marble back, what would be the probability of pulling 2 red marbles out?

7.

Heidi has a main-course choice of a hamburger, a hot dog, an egg roll, a taco, a fish sandwich, or a chicken sandwich. She has a side-order choice of french fries, corn chips, potato chips, or a salad. Heidi's beverage choice can be a soda, fruit punch, milk, or water. Which is the best method to determine how many different combinations Heidi could choose?

F Add the total number of items in the 3 categories together

G Multiply the total number of main-course choices by the total number of side-order choices and add the product to the total number of beverage choices

H Multiply the sum of the total number of main-course choices and the total number of side-order choices by the total number of beverage choices

J Multiply the total number of items in each of the 3 categories together

The Fundamental Counting Principle:

If there are **a** ways for one activity to occur, and **b** ways for a second activity to occur, then there are **a • b** ways for both to occur (works when there are more than 2 activities)

So here simply multiply; don't get bogged down with all the words. Read carefully.